# Orthomorphism Graphs of Groups 

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#### Abstract

Let $G$ be a group. A bijection $\theta: G \rightarrow G$ is called an orthomorphism of $G$ if the map $\phi_{\theta}: x \mapsto x^{-1} \theta(x)$ is also a bijection on $G$. Orthomorphism which fixes the identity element of the group is called normalized orthomorphism. Two orthomorphism $\theta_{1}$ and $\theta_{2}$ are called orthogonal if $\theta_{1} \theta_{2}^{-1}$ is also an orthomorphism of $G$. A graph in which vertices are normalized orthomorphisms of $G$ and adjacency being synonymous with orthogonality is called orthomorphism graph of $G$ denoted as $\operatorname{Orth}(G)$. In this talk we will discuss the results and problems related to the orthomorphism graph of finite groups.


